Quantum-chemical study of the properties of the excited states of organic molecules III. Excited states of N₂O, HN₃, and H₂CCO

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Dedicated to Academician V. Kellö, in honour of his 65th birthday

Electron transition energies have been calculated for three 16-electron molecules N_2O , HN_3 , H_2CCO in semiempirical CNDO/S, INDO, and MINDO/2 parametrizations. INDO results are closest to experimental values. Spectroscopically parametrized CNDO/S and MINDO/2 methods strongly underestimate transition energies although the order of transitions remains in principle correct. But the CNDO/S method is not able to differentiate states following e.g. from $\pi \rightarrow \pi^*$ excitation of linear N_2O molecule.

В рамках полуэмпирических параметризаций CNDO/S, INDO и MINDO/2 были рассчитаны энергии электронных переходов для трех 16-электронных молекул N_2O , HN_3 и H_2CCO . Результаты INDO самые близкие к экспериментальным данным. Параметризация MINDO/2 и спектроскопическая параметризация CNDO/S дает заниженные величины энергий переходов, хотя энергетический порядок переходов остается правильным. CNDO/S метод, в свою очередь, неспособен отличить состояния возникающие, например, из $\pi \rightarrow \pi^*$ эксцитации линейной N_2O молекулы.

Three molecules, ketene, azoimide, and nitrogen oxide are interesting as models for studying photochemical dissociation. The three molecules show diffuse spectral bands in the region of valence electron transitions [1, 2]. The diffusion is caused by the photochemical activity of transitions and leads to difficulties encountered by assigning bands to individual transitions.

Our aim is to discuss applicability of semiempirical quantum-chemical methods for computing electronic spectra of the three molecules, especially for reproducing the energy of transitions as compared with experimental values and *ab initio* results.

Calculations

Calculations were done in standard semiempirical INDO [3], CNDO/S [4], and MINDO/2 [5, 6] parametrizations. The MINDO/2 parametrization was used with the aim to calculate dissociation curves: MINDO/2 was parametrized to heats of formation and should properly define the relative energy for a reactant and dissociation products, which cannot be expected in other two parametrizations.

Twenty lowest occupied monoexcited configurations were included into configuration interaction which was then extended by four pair biexcited configurations together with the ground state configuration. Computations were done in experimental geometries of the ground state (Table 1).

Table 1
Geometries of the investigated molecules

Molecule		Bond lengths				D 1 1	
	Symmetry		R/(10	⁻¹⁰ m)		- Bond angles	Ref.
H₂CCO	C211	СО	1.16	CC	1.315	≮ HCH 122.3°	[1]
N O	0	CH NN	1.079 1.128			∢ NNO 180°	f 11
N_2O	C_{∞_1}	NO	1.128			₹ INNO 180°	[1]
N ₃ H	C _x	N_1N_2	1.24	N_2N_3	1.12	≮ HNN 112.5°	[9]
$(H-N_1-N_2-N_3)$	•	NH	1.02			≮ NNN 180°	

Results and discussion

Each of the three discussed molecules (N_2O , HN_3 , H_2CCO) has 16 valence electrons. In view of the geometrical and orbital structure they represent transition from the linear structure of N_2O characterized in MO description by the doubly degenerated π orbitals through N_3H , where the linear structure of N_-N_-N chromophore is disturbed by an out-of-line hydrogen atom which causes splitting of π levels to pairs of orbitals a' and a'' in C_s symmetry, to H_2CCO where the effect of the two hydrogen atoms on the still more remarkable splitting to orbitals b_1 and b_2 in $C_{2\nu}$ symmetry (Fig. 1) occurs. The order and orbital energies in the figure were calculated by MINDO/2 method. Two highest occupied and two lowest virtual orbitals for N_2O are degenerated 2π and 3π orbitals, respectively, while in the other two molecules the corresponding couples of orbitals are split. The order

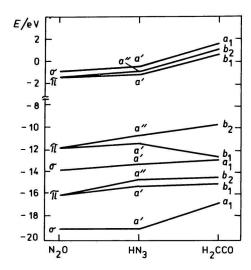


Fig. 1. Correlation of MO energies for isoelectron molecules N₂O, HN₃, H₂CCO.

of orbitals ... $3\sigma^2 1\pi^4 4\sigma^2 2\pi^4 3\pi^0 5\sigma^0$ is in MINDO/2 also retained for HN₃ and H_2CCO if we consider splitting of π orbitals of nonlinear molecules. The general trend — a decrease in values of orbital energies in the order H₂CCO, HN₃, N₂O qualitatively corresponds with the sum of electronegativities of heavy atoms of the studied molecules. The order of orbital energies for N₂O computed by MINDO/2 method agrees with ab initio calculations [7] in the basis of 18 contracted GF from 75 primitive GF but, for other molecules, calculations differ in determining the energy order of the lower occupied orbitals. The values for the respective orbital energies given in Table 2 indicate stabilization of virtual orbitals in MINDO/2 method, and on the other hand, mainly for N₂O, high values of orbital energies for occupied (mainly σ) orbitals. Since the difference in orbital energies is an important contribution to the calculated transition energies, one can expect that the computed energies of the excited states will be lower than experimental values. Table 3 contains the values for excitation energies we calculated by MINDO/2, CNDO/S or INDO methods, available experimental data, and published results obtained by nonempirical computations. The order of the lowest excited states calculated by MINDO/2 method agrees with the order determined by more laborious ab initio methods and with experimental data. For azoimide, no accurate computations are available for excited states and assignment [2] was based on semiempirical Mulliken-Wolfsberg-Helmholtz EHT calculations. A change in the order of the ${}^{1}A'({}^{1}\Delta)$ and ${}^{1}A''({}^{1}\Delta)$ states in monoexcited CI with respect to CI with mono- and pair biexcited configurations is connected with greater stabilization of the ¹A' state as a result of an interaction with biexcited configurations.

The CNDO/S is unable to remove degeneration of the ${}^3\Sigma^+$, ${}^3\Delta$, ${}^3\Sigma^-$, ${}^1\Sigma^-$, ${}^1\Delta$ and ${}^1\Pi$, ${}^3\Pi$ states for the linear N₂O molecule because monocentric bielectronic

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Table 2 $\label{eq:continuous} \mbox{Numerical values of orbital energies } (E/eV) \mbox{ for the highest occupied and lowest virtual orbitals } \mbox{ (Only valence orbitals are numbered)}$

N_2O				HN_3				H₂CCO			
МО	MINDO/2	ab initio [17]	МО	MINDO/2	ab initio [10]	exp IP [11]	МО	MINDO/2	ab initio [12]	ab initio [13]	
5σ	- 1.00	10.72	***************************************		3.50		5a1	1.55	17.69	2.72	
3π	- 1.54	1.90	3a" 7a'	- 0.87 - 0.90			$\frac{3b_2}{3b_1}$	1.16 0.67	10.07 8.16	4.90 2.18	
2π	- 12.19	- 14.46	7 a 2 a " 6 a '	- 0.90 - 10.57 - 11.19	-11.08 -12.74	10.70 11.60	$2b_{1}$ $2b_{2}$ $2b_{1}$	- 9.69 - 12.84	- 6.80 - 11.70	- 12.79 - 15.51	
4σ	-14.04	- 20.06	5a' 4a'	- 13.30 - 15.21	- 18.54 - 19.41	15.47 16.70	$1b_2$ $4a_1$	- 14.88 - 12.87	- 14.42 - 15.78	- 17.96 - 19.05	
1π	-16.35	-22.89	1a"	- 14.89	-19.42	17.40	$1b_1$	- 15.81	-17.69	- 19.59	
3σ	-19.36	-23.36	3a'	- 19.44	-22.83	20.10	$3a_1$	-17.17	-19.86	-21.22	

Table 3

Calculated and experimental numerical values of excitation energies (E/eV)

Nitrogen oxide								
Excited state	MINDO/2 CI—S"	CNDO/2 CI—S"	INDO [14]	MINDO/2 CI—SD ^b	ab initio CI [15]	exp [15]		
$^3\Sigma^+$	1.096	2.85	3.5	1.62	5.4	5.6		
$^{3}\Delta$	1.57	2.85	4.0	2.06	6.0	6.2		
$^3\Sigma^-$	1.98	2.85	4.1	2.47	6.5	-		
$^{1}\Sigma^{-}$	1.98	2.85	4.2	2.46	6.6			
$^{3}\Pi$	2.00	8.26	6.1	2.50				
¹ Д	2.38	2.85	4.3	2.85	6.8	6.85		
$^{1}\Pi$	2.87	8.26	7.0	3.36		8.52		
$^{\scriptscriptstyle 1}\Sigma^+$	4.08	9.66	10.9	4.56	_	9.6		

Azoimide

Excited state	MINDO/2 CI—S"	CNDO/S CI—S"	INDO CI—S"	MINDO/2 CI—SD ^b	exp [2]
$^{1}A''(^{1}\Sigma^{-})$	1.63	2.24	4.57	2.24	4.7
$^{1}A'(^{1}\Delta)$	2.13	4.06	6.23	2.65	6.56
$^{1}A''(^{1}\Delta)$	2.07	3.88	6.76	2.77	6.20
${}^{1}A''({}^{1}\Pi)$	2.25	7.99	7.39	2.93	7.29
$^{1}A'(^{1}\Pi)$	2.67	7.28	8.51	3.31	7.94
$^{1}A'(^{1}\Sigma)$	3.61	8.00	9.81	4.23	8.84

Ketene

Excited state	MINDO/2 CI—S"	CNDO/S CI—S"	INDO CI—S ⁴	MINDO/2 CI—SD ^b	ab initio MC SCF [10]	ab initio SCF + CI [13]	exp [17, 18]
3A_2	2.06	3.33	4.83	2.46	3.79	4.00	3.35
$^{1}A_{2}$	2.43	3.33	5.11	2.83	3.99	4.27	3.84
$^{1}B_{2}$	4.15	6.29	9.95	4.56	6.40	9.71	5.82
${}^{1}A_{1}$	4.32	6.17	9.77	4.59			
$^{1}A_{2}$	6.20	7.91	12.89	5.52			_

a) Twenty monoexcited configurations were included into CI. b) CI as in a) extended by a configuration of the ground state and by 4 pair biexcited configurations between the two highest occupied and the two lowest virtual orbitals. c) Transition energies computed by the Segal method [19].

exchange integrals are neglected. Transition energies calculated by the MINDO/2 method are very low as compared with expected values obtained experimentally: the closest values are those for ketene. But neither spectroscopically parametrized CNDO/S method gives much better results for these relatively small molecules. This is probably due to the fact that it was parametrized for the electronic spectra of larger π systems — derivatives of benzene compounds. The values obtained in INDO parametrizations for N₂O and N₃H molecules are nearest to the experimental results, the best results for ketene are obtained in the CNDO/S parametrization. However, only the MINDO method itself could satisfactorily describe the energy of the bond breaking during the reactions studied since it was parametrized for heats of formation of molecules. Although the INDO method yields better transition energies for the mentioned molecules, one cannot expect acceptable relative values for energies of a reactant and products. The INDO method, similarly to the CNDO/2 method usually significantly overestimates bond energies [8].

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